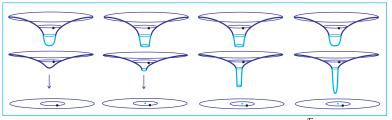
## Applying Techniques from Optimal Transport and GMT to Analyze Stability and Limits of Spacelike M in General Relativity

Christina Sormani, City University of New York Visiting Research Professor at MSRI in OT and GR Programs Reading Seminar meets every Wednesday 3:15 pm - 5:00 pm



This graphic is of  $M_j$  with  $R \ge 0$  with  $ADM(M_j) \to 0$  and  $M_j \xrightarrow{\mathcal{F}} \mathbb{E}^3$  from joint work with Dan Lee to appear in Crelle's journal.

I develop, apply and analyze synthetic geometric notions of convergence like  $M_j \xrightarrow{\mathrm{GH}} M$ ,  $M_j \xrightarrow{\mathrm{SW}} M$ ,  $M_j \xrightarrow{\mathcal{F}} M$  which do not depend upon a choice of gauge and can be applied in settings where there is no smooth convergence.

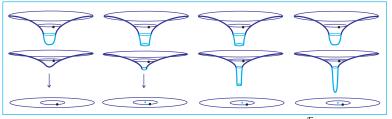
Intrinsic Flat Convergence,  $M_j \xrightarrow{\mathcal{F}} M_{\infty}$ , which has cntbly  $\mathcal{H}^m$  rectifiable limit spaces, was first defined in joint work with Stefan Wenger appearing in JDG 2011.

## I am currently working on:

- \* developing a new notion of convergence in joint work with Guofang Wei.
- \* relating intrinsic flat convergence to  $H^1$  metrics in joint work with Philippe EeFloch.

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